

Highly efficient X-ray generation in high intensity laser-solid simulations



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Full talk

Introduction

- X-rays can be used to scan for special nuclear materials, and can also transmute nuclear waste into medical isotopes.
- When a petawatt-class laser strikes a solid, the surface is heated into a plasma and hot electrons (e^-) are injected into the target, where they produce X-rays (bremsstrahlung).
- Finding the e^- energy to X-ray conversion efficiency $\eta_{e \rightarrow \gamma}$ is complicated by competing energy-loss mechanisms. **What fraction of injected e^- energy becomes hard X-rays?**

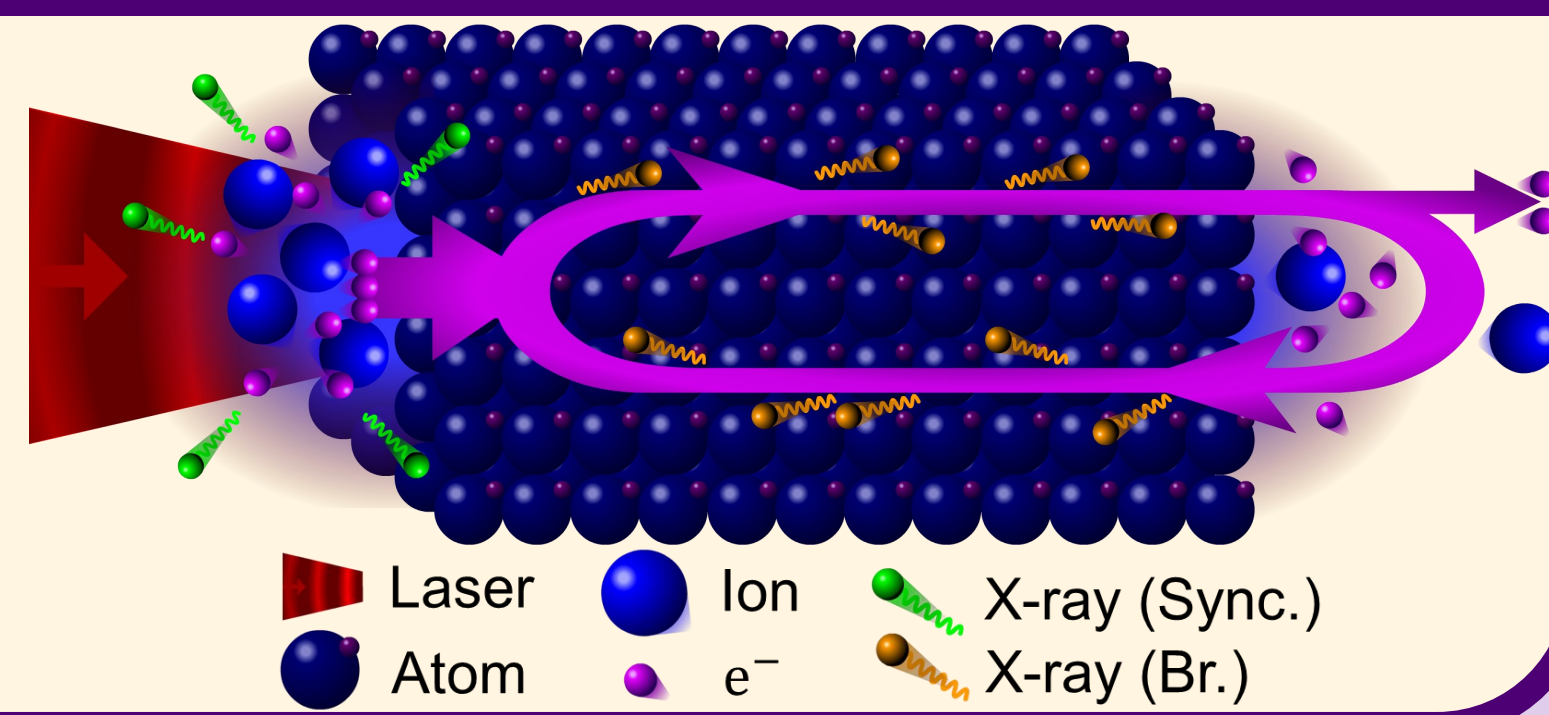


Fig. 1. Many processes compete for the same hot e^- energy. The bremsstrahlung (*Br.*) efficiency also depends on the energy lost to: ionisation (*Io.*), fields (*Fi.*), refluxing (*Re.*) and escaping (*Es.*) e^- . Here *Es.* is different, as only the highest energy e^- escape. The rest are trapped by sheath fields, losing energy to the other processes until all energy is lost.

Bremsstrahlung

Br.

- e^- accelerating in the electric fields of the target nuclei can lose energy through X-ray emission
 - Stopping power (SI units):
- $$\frac{dE}{dx} \approx -0.3m_e n_i Z^2 E \ln\left(\frac{192}{Z^{1/3}}\right)$$
- Scales with atomic number squared Z^2 , e^- energy E , and ion number density, n_i

Ionisation energy loss

Io.

- e^- lose energy in non-radiative collisions with target atoms. Energy is transferred to heating the solid [1]
 - Stopping power (SI units):
- $$\frac{dE}{dx} \approx -10^{-26} \frac{Z n_i}{v^2} \left(\ln\left(\frac{E_k}{I_{ex}}\right) + f(\gamma) \right)$$
- Scales with e^- speed v , and target Z , n_i . Varies with the mean excitation energy, I_{ex}

Resistive fields

Fi.

- The hot e^- current draws a resistive return current. This generates electric fields which slow hot e^- , and heat the target through Ohmic heating [1]
 - Stopping power (SI units):
- $$\frac{dE}{dx} \approx -e\eta J$$
- Scales with resistivity η , and hot e^- current density J

Reflux and escape

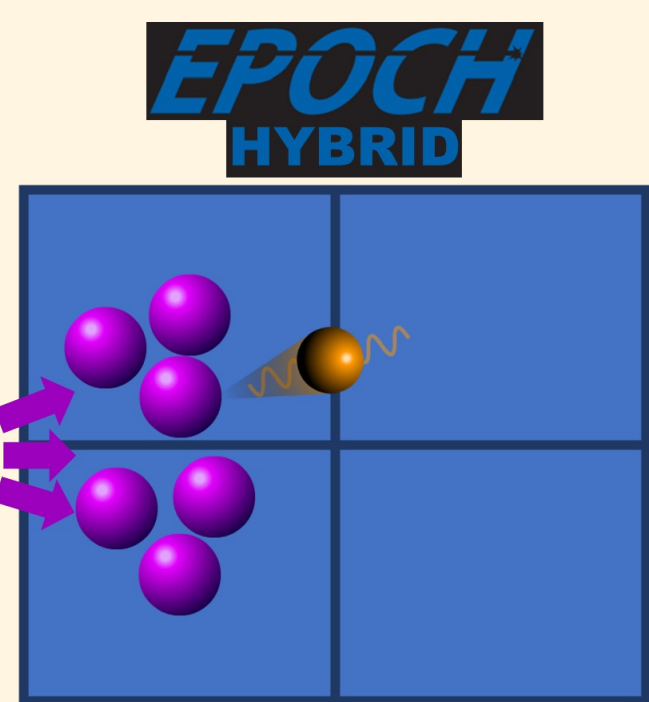
Es.

Re.

- As e^- leave the solid, they set up sheath fields. High energy e^- escape, but the rest reflux with some energy loss and scatter
- Behaviour modelled in 2D-PIC (EPOCH) simulations, up to 700 fs simulation time:
 - Escape energy*: $2a_0 m_e c^2$
 - Mean reflux momentum loss: $0.0027 a_0 m_e c$
 - Mean reflux scatter range: 23°

Hybrid-PIC code

- Extension to EPOCH PIC code
- Macro-electrons based on laser parameters are injected into the solid
- The field solver assumes the presence of a resistive return current [1]
- e^- undergo *Br.* and *Io.* as they move
- Energy lost to the solid raises the temperature of the local cell, updating η
- Empirical reflux boundaries used



github.com/Status-Mirror/epoch

Simulation setup

- We ran 3D simulations for many target materials and laser intensities, I to find $\eta_{e \rightarrow \gamma}$
- Laser: 40 fs pulse, $5 \mu\text{m}$ spot size
- Run for 10-100 ps to capture the full emission

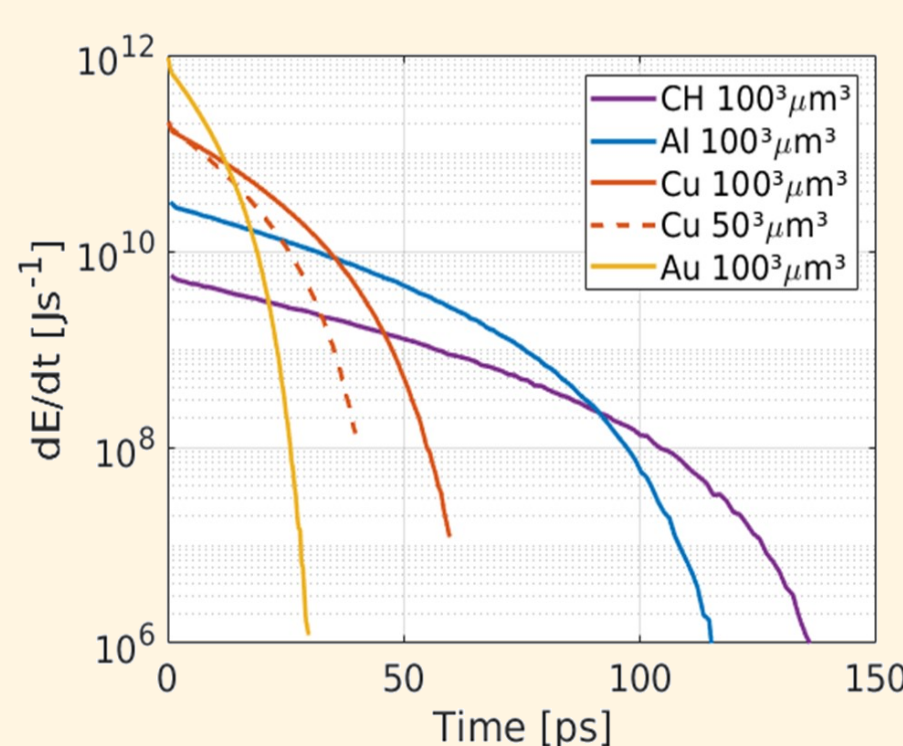


Fig. 2. X-ray emission rates

Results

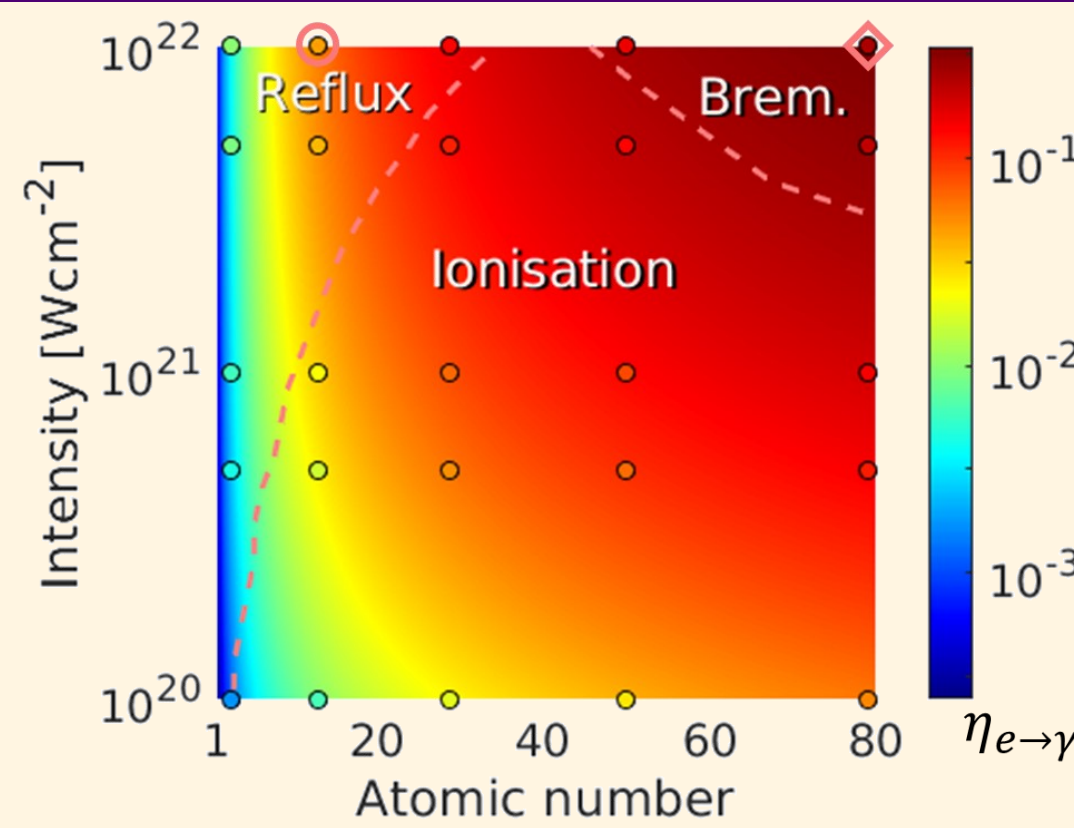


Fig. 3. Conversion efficiency of hot e^- energy into X-rays over 1 MeV

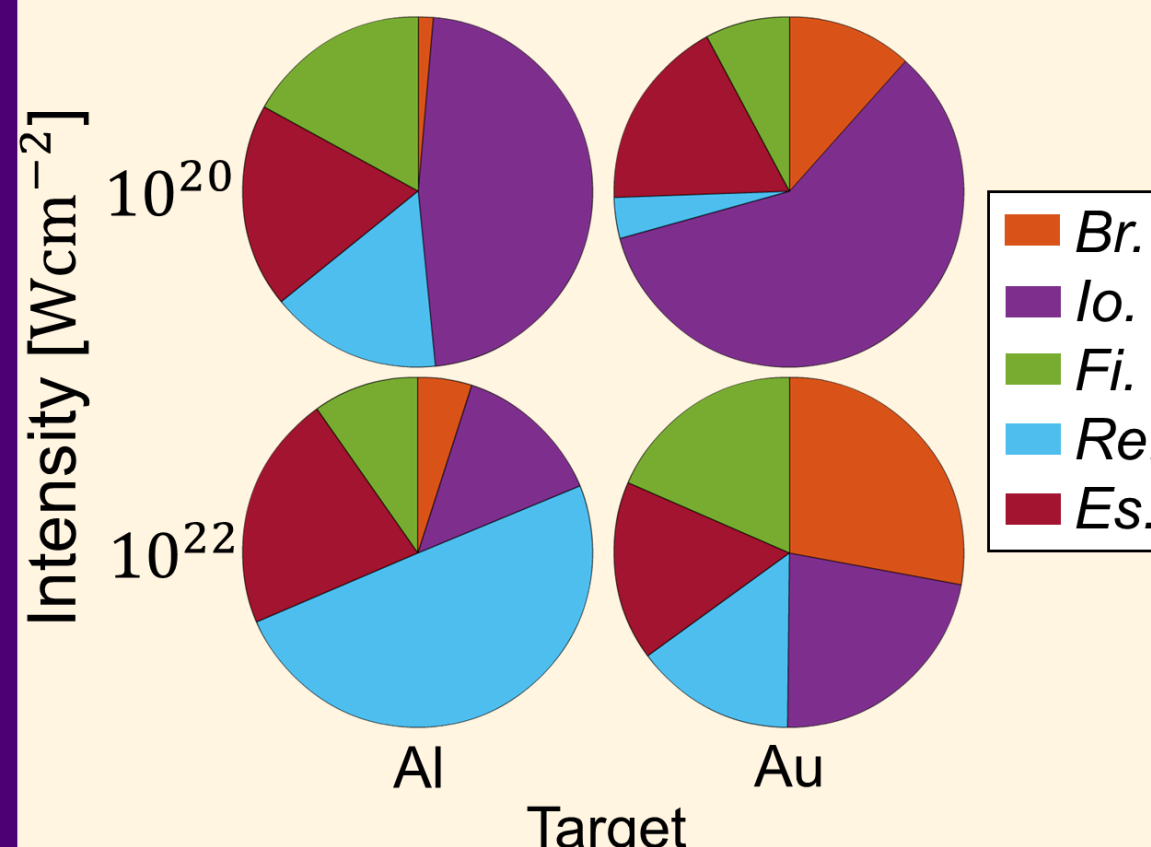


Fig. 4. Pie charts showing energy fraction lost to each process

- Pink diamond shows the peak electron efficiency: 25%
- Pink circle shows Al at $10^{22} \text{ W cm}^{-2}$. We find laser to X-ray efficiency 0.014, while PIC simulations [2,3] suggest values between $(0.4-8) \times 10^{-5}$
- PIC codes underestimate the emission as they simulate shorter time-scales
- *Br.* dominates high Z high I , *Io.* dominates most Z at low I
- Monte Carlo (MC) codes don't model *Re.* or *Fi.* losses, and will overestimate the emission
- At high I , low Z , *Br.* and *Io.* are too weak to slow e^- , so e^- hit more boundaries and *Re.* dominates. MC codes would be very poor here.